# Diastereoisomeric Organophosphorus Compounds. Part 4. ${ }^{1-3}$ Proton and Phosphorus-31 Nuclear Magnetic Resonance Spectra of Compounds of the Type [RR'P(X)] $\mathbf{2}_{2} \mathbf{Y}$ and RR'P(X)-Y-(Z)PRR' ( $\mathbf{R}=\mathbf{C H}_{3}, \mathbf{R}^{\prime}=\mathbf{t}-\mathbf{C}_{4} \mathbf{H}_{9}$ ) 

G. Hägele,* G. Tossing, W. Kückelhaus, and J. Seega<br>Institut für Anorganische Chemie und Strukturchemie der Universität Düsse/dorf, D-4000 Düsseldorf, German Federal Republic<br>R. K. Harris ${ }^{*}$<br>School of Chemical Sciences, University of East Anglia, Norwich NR4 7TJ

When $R$ and $R^{\prime}$ are simple alkyl groups, compounds of the type $\left[R R^{\prime} P(X)\right]_{2} Y$ give rise to $\left[A R_{1} X_{n}\right]_{2}$ spectra (assuming $X$ and $Y$ are non-magnetic). Explicit expressions for resonance frequencies and intensities of $A\left({ }^{31} P\right)$ and $R$ and $X\left({ }^{1} H\right)$ are derived. Data are given for rac $-\left[R R^{\prime} P\right]_{2}$, meso- $\left[R R^{\prime} P(S)\right]_{2}$, rac- $\left[R R^{\prime} \mathrm{P}(\mathrm{S})\right]_{2}$, meso- $\left[\mathrm{RR}^{\prime} \mathrm{P}(\mathrm{S})\right]_{2} \mathrm{O}$, and rac- $\left[R R^{\prime} \mathrm{P}(\mathrm{S})\right]_{2} \mathrm{~S}$. The results are discussed and compared to those for asymmetric compounds of the type RR'P(S)-PRR' and RR'P(S)-S-PRR'.

Chiral diphosphane structures give rise to diastereoisomerism as indicated in Scheme 1. In isotropic solution two different specific n.m.r. spectra will be observed, distinguishing the meso $\left[R_{(\mathrm{P})} S_{(\mathrm{P})}, S_{(\mathrm{P})} R_{(\mathrm{P})}\right.$ ]-form from the racemic [ $R_{(\mathrm{P})} R_{(\mathrm{P})}$, $\left.S_{(P)} S_{(\mathbf{P})}\right]$ pair. Since solution-state n.m.r. a priori does not enable the assignment of diastereospecific data sets, previous work concerning [ $\left.\mathrm{RR}^{\prime} \mathrm{P}(\mathrm{X})\right]_{2} \mathrm{Y}$ was based mainly on relatively intangible considerations of analogies. ${ }^{4-11}$ Absolute confirmation of the stereochemically important n.m.r. parameters such as $\delta_{\mathrm{H}}, \delta_{\mathrm{P}}, J_{\mathrm{PH}}$, and $J_{\mathrm{PP}}$ can only be obtained by combining $X$-ray and n.m.r. studies.

In preceding papers ${ }^{14}$ we described the synthesis and crystal and molecular structures of the compounds in Scheme 2. Our particular interests were drawn to symmetric model systems with $X=Z$. The compounds $\left[R R^{\prime} P(X)\right]_{2} Y$ give rise to symmetric spin systems of the general type $\left[A R_{t} X_{n}\right]_{2}$. Explicit algebraic expressions for the resonance frequencies and intensities of $R$ and $X$ were derived ${ }^{4.5}$ to explain ${ }^{6}$ the ${ }^{1} H$ n.m.r. pattern of one diastereoisomeric form of $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right)\right.$ $\mathbf{P}(\mathbf{S})]_{2}$. Here we give a detailed account of spectral features of A ( $\left.{ }^{31} \mathrm{P}\right), \mathrm{R}$ and $\mathrm{X}\left({ }^{1} \mathrm{H}\right)$ resonances for well defined model systems such as: rac- $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}\right]_{2}$ (lb), meso $-\left[\mathrm{CH}_{3}(\mathrm{t}-\right.$ $\left.\left.\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{S})\right]_{2}(2 \mathrm{a}), \operatorname{rac}-\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{S})\right]_{2}(2 \mathrm{~b})$, meso- $\left[\mathrm{CH}_{3}(\mathrm{t}-\right.$ $\left.\left.\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{S})\right]_{2} \mathrm{O}(3 \mathrm{a})$, and $\mathrm{rac}-\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{S})\right]_{2} \mathrm{~S}(4 \mathrm{~b})$.

## Theoretical

The description of the spin system in Scheme 3 will be used in our discussion of the spectral analysis of the $\left[\mathrm{AR}_{t} \mathrm{X}_{n}\right]_{2}$ spin system. There are 12 independent n.m.r. parameters which in principle affect the spectra, viz.: $v_{\mathbf{A}}=v_{\mathbf{A}^{\prime}}, v_{\mathbf{R}}=v_{\mathbf{R}^{\prime}}$, and $v_{\mathbf{X}}=$ $v_{\mathbf{X}^{\prime}} ; J_{\mathrm{AA}^{\prime}}, J_{\mathbf{R R}}, J_{\mathbf{X X}}, J_{\mathrm{AX}}=J_{\mathrm{A}^{\prime} \mathbf{X}^{\prime}}, J_{\mathrm{AR}}=J_{\mathrm{A}^{\prime} \mathbf{R}^{\prime}}, \quad J_{\mathrm{RX}}=J_{\mathbf{R}^{\prime} \mathbf{X}^{\prime}}$, $J_{\mathbf{A X}^{\prime}}==J_{\mathbf{A}^{\prime} \mathbf{x}}, J_{\mathbf{A R}^{\prime}}=J_{\mathbf{A}^{\prime} \mathbf{R}}$, and $J_{\mathbf{R X}^{\prime}}==J_{\mathbf{R}^{\prime} \mathbf{X}}$. Determination of the chemical shifts $v_{A}, v_{R}$, and $v_{X}$ is trivial since, under the assumption that $\left|v_{\mathbf{R}}-v_{\mathbf{X}}\right| \gg\left|J_{\mathbf{R X}}\right|$ (and correspondingly for the $A, X$ and $A, R$ pairs of groups) the three n.m.r. bands are symmetrical about their respective chemical shifts. Moreover, in the cases considered here $J_{\mathrm{RR}^{\prime}}, J_{\mathrm{XX}^{\prime}}, J_{\mathrm{RX}}$, and $J_{\mathrm{RX}}$ are long range in nature and are negligibly small. Consequently the appearance of each band in the spectrum can depend only on five coupling parameters. Simple algebraic solutions to the eigenvalue problem may be achieved, and these will be presented below.
The expressions for the R and X regions have been the subject of a previous note, ${ }^{5}$ but they have now been cast in a different form, quoted below, for convenience of computing,


$R_{(P)} S_{(P)}=S_{(P)} R_{(P)}$
One meso-form


$R_{(\mathrm{P})} R_{(\mathrm{P})}$
$S_{(P)} S_{(P)}$
Two racemic forms

Scheme 1.


| No. | X | Y | Z | References to <br> synthesis | Structures |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| (1) | 1.p. | - | l.p. | 1,3 |  |  |
| (2) | S | - | S | 1,3 | meso $^{2}$ | rac $^{2}$ |
| (3) | S | O | S | 3,4 | meso $^{3}$ |  |
| (4) | S | S | S | 1 |  | rac $^{2}$ |
| (5) | S | - | 1.p. | 1 |  |  |
| (6) | S | S | l.p. | 1 |  |  |

Scheme 2. 1.p. = Lone pair
and applied to a number of new examples. The equations for the X region have not been presented in the open literature before. The derivation of the equations proceeds along the same lines as for ${ }^{12,13}$ the simpler $\left[\mathrm{AX}_{n}\right]_{2}$ spin system. However,


Scheme 3.
it should be noted that in the $\left[\mathrm{AR}_{\mathrm{t}} \mathrm{X}_{n}\right]_{2}$ case the R region of the spectrum depends, inter alia, on $J_{\mathrm{Ax}}$ and $J_{\mathrm{Ax}}$, which is at first sight surprising.

It will prove useful to define linear combinations as in equations (i)-(iv). Since $N_{\text {AR }}$ and $L_{\text {AR }}$ are obtained inde-

$$
\begin{align*}
& N_{\mathrm{AR}}=J_{\mathrm{AR}}+J_{\mathrm{AR}} .  \tag{i}\\
& L_{\mathbf{A R}}=J_{\mathbf{A R}}-J_{\mathbf{A R}} .  \tag{ii}\\
& N_{\mathbf{A X}}=J_{\mathbf{A X}}+J_{\mathbf{A X}}  \tag{iii}\\
& L_{\mathrm{AX}}=J_{\mathbf{A X}}-J_{\mathbf{A X}} \tag{iv}
\end{align*}
$$

pendently from the spectra, it is evident that the relative signs of $J_{\text {AR }}$ and $J_{\text {AR }}$ are accessible (as are the relative signs of $J_{A X}$ and $J_{\mathrm{Ax}}$ ). However, the single-resonance spectra do not depend on any other relative signs of coupling constants.

The Spectra of the A Nuclei.-The A spectra in $\left[\mathrm{AR}_{t} \mathrm{X}_{n}\right]_{2}$ systems are symmetrical with respect to $v_{A}$. They may easily be broken down into a series of overlapping ab subspectra. Here we adopt the usual symbols describing the ab subspectrum (Scheme 4). Since the A and $A^{\prime}$ nuclei couple to the $R_{t}$, $\mathrm{R}_{t}^{\prime}, \mathrm{X}_{n}$, and $\mathrm{X}_{n}^{\prime}$ groups effective Larmor frequencies may be defined as in equations (v) and (vi) where $m_{\mathrm{R}}, m_{\mathrm{R}^{\prime}}, m_{\mathrm{X}}$, and

$$
\begin{align*}
& v_{\mathrm{a}}=v_{\mathbf{A}}+m_{\mathbf{R}} J_{\mathbf{A R}}+m_{\mathbf{R}^{\prime}} J_{\mathbf{A R}}+m_{\mathbf{X}} J_{\mathbf{A X}}+m_{\mathbf{X}} \cdot J_{\mathbf{A X}}  \tag{v}\\
& v_{\mathbf{b}}=v_{\mathbf{A}}+m_{\mathbf{R}} J_{\mathbf{A R}}+m_{\mathbf{R}^{\prime}} \cdot J_{\mathbf{A R}}+m_{\mathbf{X}} J_{\mathbf{A X}}+m_{\mathbf{X}} J_{\mathbf{A X}} \tag{vi}
\end{align*}
$$

$m_{\mathrm{x}}$ are the total component-spin quantum numbers of the composite particles in groups $\mathrm{R}_{t}, \mathrm{R}_{t}^{\prime}, \mathrm{X}_{n}$, and $\mathrm{X}_{n}^{\prime}$, respectively, and may take the following values: $-\frac{t}{2} \cdots m_{\mathrm{R}}$ or $m_{\mathrm{R}^{\prime}} \cdots+\frac{t}{2}$ and $-\frac{n}{2} \cdots m_{\mathrm{X}}$ or $m_{\mathrm{x}} \cdots+\frac{n}{2}$. $(t+1)^{2}$ and $(n+1)$ different states exist for $m_{\mathrm{R}}, m_{\mathrm{R}^{\prime}}$ and $m_{\mathbf{x}}, m_{\mathbf{x}}$ respectively. Therefore $(t+1)^{2}(n+1)^{2}$ ab-type subspectra comprise the total A part of the $\left[A R, X_{n}\right]_{2}$ spectrum. Such ab subspectra are located at frequencies $v_{\text {av }}$. [equation (vii)]. The differences, $\Delta v$, in effective Larmor frequencies are given by equation (viii). Of

$$
\begin{array}{r}
v_{\mathrm{av} .}=v_{\mathrm{A}}+\left(m_{\mathbf{R}}+m_{\mathbf{R}}\right) N_{\mathrm{AR}}+\left(m_{\mathrm{X}}+m_{\mathbf{X}}\right) N_{\mathrm{AX}} \\
\Delta v=\left(m_{\mathbf{R}}-m_{\mathbf{R}^{\prime}}\right) L_{\mathbf{A R}}+\left(m_{\mathrm{X}}-m_{\mathrm{X}}\right) L_{\mathbf{A X}} \tag{viii}
\end{array}
$$

the ab-type subspectra described above, $(t+1)(n+1)$ will fall actually into the $a_{2}$ category, corresponding to situations with $m_{\mathbf{R}}=m_{\mathbf{R}^{\prime}}$ and $m_{\mathbf{x}} \equiv m_{\mathbf{x}^{\prime}}$, leading to $\Delta v=0$. Such subspectra will give rise to singlet lines located at $v_{a v} .=v_{A}+$ $2 m_{\mathrm{R}} N_{\mathrm{AR}}+2 m_{\mathrm{X}} N_{\mathrm{AX}}$ and having relatively strong intensities given by equation (ix). In practice a successful analysis of

$$
\begin{equation*}
I=4\binom{t}{\frac{t}{2}-m_{\mathrm{R}}}^{2}\binom{n}{\frac{n}{2}-m_{\mathbf{X}}}^{2} \tag{ix}
\end{equation*}
$$

such $\mathrm{a}_{2}$ singlets will give information about $N_{\text {AR }}$ and $N_{\mathrm{Ax}}$. For $L_{\mathrm{AR}}, L_{\mathrm{Ax}}$, and $J_{\mathrm{AA}^{\prime}}$ a total analysis of the A spectrum is re-


| Variables | Frequencies |
| :---: | :--- |
| $\Delta v=v_{\mathrm{a}}-v_{\mathrm{b}}$ | $v_{1}=v_{\mathrm{av}}-\frac{1}{2} S_{\mathrm{o}} I_{1}=I_{1}=I_{4}=1-\|J / 2 C\|$ |
| $v_{\mathrm{av}}=\frac{1}{2}\left(v_{\mathrm{a}}+v_{\mathrm{b}}\right)$ | $v_{2}=v_{\mathrm{av}}-\frac{1}{2} S_{\mathrm{i}} I_{\mathrm{o}}=I_{2}=I_{3}=1+\|J / 2 C\|$ |
| $2 C=\sqrt{\Delta \mathrm{v}^{2}+J^{2}}$ | $v_{3}=v_{\mathrm{av} .}+\frac{1}{2} S_{\mathrm{i}}$ Total intensity $I_{\mathrm{T}}=4$ |
| $S_{\mathrm{i}}=2 C-J$ | $v_{4}=v_{\mathrm{av} .}+\frac{1}{2} S_{\mathrm{o}}$ |
| $S_{\mathrm{o}}$ | $2 C+J$ |

## Scheme 4.

quired. In addition to the $(t+1)(n+1) \mathrm{a}_{2}$ subspectra, there are $\frac{1}{4} t(t+1) n(n+1)$ different ab subspectra.

Very often a direct analysis of a many-line $\left[\mathrm{AR}_{t} \mathrm{X}_{n}\right]_{2}$ system proves to be impossible, so simulations including lineshape calculations are desirable. For effective computation, we chose to rewrite the algebraic expressions given above. When the parameter ranges $0 \cdots \chi$ or $\lambda \cdots t$ and $0 \cdots \mu$ or $\nu \cdots n$ are introduced, expressions for the $(t+1)^{2}(n+1)^{2}$ ab-type subspectra are obtained [equations (x)-(xii)]. The total

$$
\begin{gather*}
v_{\mathrm{av} .}=v_{\mathrm{A}}+\frac{1}{2}\left[(\chi+\lambda) N_{\mathrm{AR}}+(\mu+v) N_{\mathrm{Ax}}\right]  \tag{x}\\
\Delta v=(\chi-\lambda) L_{\mathrm{AR}}+(\mu-v) L_{\mathrm{Ax}}  \tag{xi}\\
I=4\binom{t}{\chi}\binom{t}{\lambda}\binom{n}{\mu}\binom{n}{v} \tag{xii}
\end{gather*}
$$

intensity for an A spectrum is $I_{\mathrm{T}}=2^{2(t+n+1)}$.
Our program DOK178, ${ }^{1+* *}$ designed on the basis given above, permits successive simulations of A spectra in $\left[\mathrm{AR}_{1} \mathrm{X}_{n}\right]_{2}$ systems as a function of $L_{\mathrm{AR}}, L_{\mathrm{AX}}, J_{\mathrm{AA}}$, and a common spectral linewidth (using a Lorentzian shape). In the studies presented here, ${ }^{31} \mathrm{P}$ n.m.r. spectra of $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{X})\right]_{2} \mathrm{Y}$ follow the pattern described above.

Deceptively Simple A Spectra from $\left[\mathrm{AR}_{1} \mathrm{X}_{n}\right]_{2}$ Systems.-If $\left|J_{A A}\right|$ is much larger than both $\left|L_{A R}\right|$ and $\left|L_{A X}\right|$, or, more accurately, if $\left|J_{A A^{\prime}}\right| \geqslant\left|(\chi \cdots \lambda) L_{A R} \quad(\mu-v) L_{A X}\right|$ for all subspectra of significant statistical weight, a deceptively simple $(2 t+1)(2 n+1)$ line pattern will result, as would be the case for an $\mathrm{AR}_{2 t} \mathrm{X}_{2 n}$ system. The residual transition frequencies are given by equation (xiii) and the intensities by (xiv). No information on $J_{A A}, L_{A R}$, or $L_{A x}$ may be obtained

$$
\begin{align*}
\Delta v= & v_{\mathrm{A}}+\frac{1}{2}\left[(\chi+\lambda) N_{\mathrm{AR}}+(\mu+v) N_{\mathrm{Ax}}\right]  \tag{xiii}\\
I= & 4\binom{2 t}{\chi+\lambda}\binom{2 n}{\mu} \tag{xiv}
\end{align*}
$$

from such spectra, which will yield only $\mathrm{v}_{\mathrm{A}}, N_{\mathrm{AR}}$, and $N_{\mathrm{Ax}}$. An example of this situation is found in $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}\right]_{2}$, (1b).

In cases of vanishing $J_{\mathrm{AA}}$ the A spectrum may be described as simple overlapping first-order multiplets having $(t+1)^{2}$ $(n+1)^{2}$ lines with repeated spacings $J_{\mathrm{AR}}, J_{\mathrm{AR}}, J_{\mathrm{Ax}}$, and $J_{\mathrm{Ax}}$.

[^0]


Figure 1. Experimental (upper) and simulated (lower) ${ }^{31} \mathrm{P}$ n.m.r. spectrum of meso $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{S})\right]_{2} \mathrm{O}$ (3a). Calibration bar 50 Hz

Table 1. Explicit expressions for the frequencies and intensities of $R$ and $X \chi$ lines in $\left[A R X_{1} X_{2}\right.$ n.m.r. spectra

| $v$ | Frequency | Intensity |
| :---: | :---: | :---: |
| $V_{1 R}$ | $v_{\mathrm{R}}+\frac{1}{2}\left(T_{1}+T_{2 \mathrm{R}}\right)$ | $\frac{1}{2}\left(1-g_{\mathrm{R}}\right) T_{3 \mathrm{R}} T_{4 \mathrm{R}} T_{5 \mathrm{X}}$ |
| $V_{2 R}$ | $v_{\mathrm{R}}+\frac{1}{2}\left(T_{1}-T_{2 \mathrm{R}}\right)$ | $\frac{1}{2}\left(1+g_{\mathrm{R}}\right) T_{3 \mathrm{R}} T_{4 \mathrm{R}} T_{5 \mathrm{X}}$ |
| $v_{3 R}$ | $\mathrm{v}_{\mathrm{R}}-\frac{1}{2}\left(T_{1}-T_{2 \mathrm{R}}\right)$ | $\frac{1}{2}\left(1+g_{\mathrm{R}}\right) T_{3 \mathrm{R}} T_{4 \mathrm{R}} T_{5 \mathrm{X}}$ |
| $V_{\text {dR }}$ | $v_{\mathrm{R}}-\frac{1}{2}\left(T_{1}+T_{2 \mathrm{R}}\right)$ | $\frac{1}{2}\left(1-g_{\mathrm{R}}\right) T_{3 \mathrm{R}} T_{4 \mathrm{R}} T_{5 \mathrm{X}}$ |
| $v_{1 \times}$ | $v_{\mathrm{x}}+\frac{1}{2}\left(T_{1}+T_{2 \mathrm{x}}\right)$ | $\frac{1}{2}\left(1-g_{\mathrm{x}}\right) T_{3 \mathrm{X}} T_{4 \mathrm{x}} T_{5 \mathrm{R}}$ |
| $v_{2 x}$ | $v_{\mathrm{x}}+\frac{1}{2}\left(T_{1}-T_{2 \mathrm{x}}\right)$ | $\frac{1}{2}\left(1+g_{\mathrm{X}}\right) T_{3 \times} T_{4 \times} T_{5 R}$ |
| $v_{3 x}$ | $v_{\mathrm{x}}-\frac{1}{2}\left(T_{1}-T_{2 \mathrm{x}}\right)$ | $\frac{1}{2}\left(1+g_{\mathrm{x}}\right) T_{3 \mathrm{X}} T_{4 \mathrm{X}} T_{5 R}$ |
| $v_{4 x}$ | $v_{\mathrm{x}}-\frac{1}{2}\left(T_{1}+T_{2 \mathrm{x}}\right)$ | $\frac{1}{2}\left(1-g_{\mathrm{x}}\right) T_{3 \mathrm{X}} T_{4 \mathrm{x}} T_{\text {SR }}$ |

The Spectra of the $\mathrm{R}_{t}$ and $\mathrm{X}_{n}$ Groups.-The appearance of $R_{i}$ and $X_{n}$ spectra is again governed by symmetry. These spectra are symmetrically placed about $v_{R}$ and $v_{X}$ respectively. Half of each total intensity is due to pairs of strong lines separated by $N_{\text {AR }}$ and $N_{\mathrm{Ax}}$, respectively. These pairs will be called $N$ lines. The remaining half of each intensity is contributed by so-called $\chi$ lines. $2 t(n+1) \chi_{\mathrm{R}}$ sets and $2 n(t+1)$ $\chi_{\mathrm{x}}$ sets exist, each responsible for two pairs of centrosymmetric lines which will be named inner and outer $\chi$ lines. The following parameters (or ranges) are used: $-t \cdots \chi_{\mathrm{k}} \cdots+t$; $-n \cdots \chi_{\mathrm{X}} \cdots+n ; \alpha_{\mathrm{R}}=\left|\chi_{\mathrm{R}}-\frac{1}{2}\right|-\frac{1}{2} ; \alpha_{\mathrm{X}}=\left|\chi_{\mathrm{X}}-\frac{1}{2}\right|-\frac{1}{2} ;$ $\Sigma_{1}=\chi_{R} L_{A R}+\chi_{x} L_{A X} ; \Sigma_{2 R}=\left(\chi_{\mathbf{R}}-1\right) L_{A R}+\chi_{\mathrm{X}} L_{\mathrm{AX}} ; \Sigma_{2 \mathrm{X}}=$ $\left(\chi_{\mathrm{X}}-1\right) L_{\mathrm{AX}}+\chi_{\mathrm{R}} L_{\mathrm{AR}} ; \quad T_{1}=\left[\Sigma_{1}{ }^{2}+J_{\mathrm{AA}^{2}}{ }^{2}\right]^{\ddagger} ; \quad T_{2 \mathrm{R}}=\left[\Sigma_{2 \mathrm{R}}{ }^{2}+\right.$ $\left.J_{\mathrm{AA}}{ }^{2}\right]^{\frac{1}{2}} ; T_{2 \mathrm{X}}=\left[\Sigma_{2 \mathbf{x}^{2}}+J_{\mathrm{AA}}{ }^{2}\right]^{\ddagger} ; T_{3 \mathrm{R}}=\frac{1}{2}\left(t-\alpha_{\mathrm{R}}\right) ; T_{3 \mathrm{X}}=\frac{1}{2}(n-$ $\left.\alpha_{\mathrm{X}}\right) ; \quad T_{\mathrm{AR}} \cdots\binom{2 t}{t-\alpha_{\mathrm{R}}} ; \quad T_{\mathrm{AX}}=\binom{2 n}{n-\alpha_{\mathrm{X}}} ; \quad T_{\mathrm{SR}} \cdots\binom{2 t}{n-\left|\alpha_{\mathrm{R}}\right|} ;$ $T_{\mathrm{SX}}=\binom{2 n}{n-\left|\alpha_{\mathrm{x}}\right|} ; \quad g_{\mathrm{R}}=\left(\Sigma_{1} \Sigma_{2 \mathrm{R}}+J_{\mathrm{AA}}{ }^{2}\right) / T_{1} T_{2 \mathrm{R}} ;$ and $g_{11}=$ $\left(\Sigma_{1} \Sigma_{2 \mathrm{X}}+J_{\mathrm{AA}^{\prime}}{ }^{2}\right) / T_{1} T_{2 \mathrm{X}}$.

Explicit equations for transition frequencies and intensities
of the $\chi_{\mathrm{R}}$ and $\chi_{\mathrm{x}}$ line sets are listed in Table 1. The $N_{\mathrm{AR}}$ and $\chi_{\mathrm{R}}$ lines add up to $t 2^{(2 t+n+1)}$ in intensity, and $N_{\mathrm{Ax}}$ and $\chi_{\mathrm{x}}$ lines to $n 2^{(2 t+n+1)}$. The equations given in Table 1 are modifications of our previous results ${ }^{4-6}$ suitable for efficient programming. Our program DOK $177{ }^{14}$ allows for successive simulations of $\mathrm{R}_{t}$ and $\mathrm{X}_{n}$ group spectra in $\left[\mathrm{AR}_{t} \mathrm{X}_{n}\right]_{2}$ systems. Specific values for the widths of $N_{\text {AR }}, \chi_{\text {AR }}, N_{\mathrm{Ax}}$, and $\chi_{\mathrm{Ax}}$ lines may be separately assigned to simulate the total n.m.r. spectrum using Lorentzian lineshapes.

Proton n.m.r. spectra of $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{X})\right]_{2} \mathrm{Y}$ obey the rules given in the above section.

Deceptively simple $\mathrm{R}_{\mathrm{t}}$ and $\mathrm{X}_{n}$ Group Spectra.-If $J_{\mathrm{AA}^{2}}{ }^{2}$ is very large compared to $\Sigma_{1}{ }^{2}, \Sigma_{2 \mathrm{R}}{ }^{2}$, and $\Sigma_{2 \mathrm{X}}{ }^{2}$ for all values of $\chi_{\mathrm{R}}$ and $\chi_{\mathrm{x}}$ with significant statistical probability (close to $\frac{t}{2}$ and $\frac{n}{2}$ ) the $R_{t}$ and $\mathrm{X}_{n}$ spectra exhibit the typical features of deceptively simple triplets. This situation holds for ${ }^{1} \mathrm{H}$ n.m.r. spectra of $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}\right]_{2}$, (lb). The only information then obtained directly comprises the Larmor frequencies, $N_{\mathrm{AR}}$, and $N_{\mathrm{Ax}}$. No information about $L_{A R}, L_{A X}$, and $J_{A A^{\prime}}$ is accessible.

In cases of vanishing $J_{\text {AA }}$. particularly primitive spectra result. Each group ( $\mathrm{R}_{1}$ and $\mathrm{X}_{n}$ ) will give rise to doublets of doublets separated by $J_{\mathrm{AR}}, J_{\mathrm{AR}}$ and $J_{\mathrm{Ax}}, J_{\mathrm{Ax}}$ respectively.

Spectral Analysis and Simulation of $\left[\mathrm{AR}_{1} \mathrm{X}_{n}\right]_{2}$ Systems for $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{X})\right]_{2} \mathrm{Y}$ Compounds.-The previous section listed explicit expressions for transition frequencies and intensities of $A$ nuclei and $R_{t}$ and $X_{n}$ groups for $\left[\mathrm{AR}_{t} X_{n}\right]_{2}$ systems. Here we demonstrate typical spectral features of those systems, using $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{X})\right]_{2} \mathrm{Y}$ as examples. The experimental and simulated n.m.r. spectra are shown in Figures 1-3 $\left({ }^{31} \mathrm{P}\right)$ and $4-6\left({ }^{1} \mathrm{H}\right)$.

Numerical results from our observations on compounds having directly bonded $\mathbf{P}-\mathbf{P}$ structures, $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{X})\right]_{2}$


Figure 2. ${ }^{31} \mathrm{P}$ N.m.r. spectrum of rac- $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{S})\right]_{2}(2 \mathrm{~b})$ as in Figure 1. Calibration bar 30 Hz

Table 2. $\left[\mathrm{AR}_{t} \mathrm{X}_{n}\right]_{2}$ N.m.r. parameters (in Hz ) for diphosphanes $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}\right]_{2}$ and $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{4}\right) \mathrm{P}(\mathrm{S})\right]_{2}$

| Compound | $(1 \mathrm{~b})$ | (2a) | (2b) |
| :--- | :---: | :---: | :---: |
| Form | rac | meso | rac |
| $N_{A R}$ | 8.0 | 5.23 | $4.55 \pm 0.5$ |
| $L_{A R}$ | 3.0 | 17.93 | $19.0 \pm 0.5$ |
| $N_{A X}$ | 12.65 | 13.35 | $18.1 \pm 0.5$ |
| $L_{A X}$ | 11.8 | 16.85 | $18.1 \pm 0.5$ |
| $J_{A A^{\prime}}$ | $293-1$ | $97 \pm 1$ | $120 \pm 1$ |
| h.w. $(\mathrm{A})$ | 1.6 | - | 3.0 |
| h.w. $\left(N_{A R}\right)$ | 0.35 | 0.8 | 0.5 |
| h.w. $\left(\chi_{R}\right)$ | 0.4 | 1.2 | 1.15 |
| h.w. $\left(N_{A x}\right)$ | 0.5 | 0.8 | 0.5 |
| h.w. $\left(\chi_{\mathrm{x}}\right)$ | 0.9 | 1.2 | 0.95 |

h.w. = linewidth at half-height (from comparison of experimental and simulated spectra).
( $\mathbf{X}=$ lone pair or $S$ ), (1b), (2a), and (2b), are given in Tables 2 and 3. Corresponding data for bridged $\mathbf{P}-\mathbf{Y}-\mathbf{P}$ systems, $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{S})\right]_{2} \mathrm{Y}(\mathrm{Y}=\mathrm{O}$ or S$)$, (3a), (3b), (4a), and (4b), follow in Tables 4 and 5 . In addition, results for unsymmetrical molecules $\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{S})-\mathrm{Y}-\mathrm{P}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{CH}_{3}(\mathrm{Y}=-$ or S), (5a), (5b), (6a), and (6b), are given in Tables 6 and 7. These compounds involve spin systems of $\mathrm{ABR}_{3} \mathrm{~S}_{3} \mathrm{X}_{9} \mathrm{Y}_{9}$ type (Scheme 5). The corresponding spectra are first order, and analysis in principle should be trivial since in each case $\left|v_{\mathbf{A}}-v_{\mathbf{B}}\right| \geqslant\left|J_{\mathbf{A B}}\right|$.

Table 3. Proton and phosphorus- 31 n.m.r. data ${ }^{\text {a for }\left[\mathrm{CH}_{3}\left(t-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}\right]_{2}, ~}$ and $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{4}\right) \mathrm{P}(\mathrm{S})\right]_{2}$

| Compound | (1b) | (2a) | (2b) |
| :---: | :---: | :---: | :---: |
| Form | rac | meso | rac |
| $J_{\text {AR }} \because{ }^{2} J_{\text {PH }}$ | +5.5 | -11.58 | -11.78 |
| $J_{\text {AR }}={ }^{3} J_{\text {PPCH }}$ | + 2.5 | $+6.35$ | +7.23 |
| $J_{\text {AX }} \quad{ }^{3} J_{\text {PPCH }}$ | +12.2 | +17.10 | + 18.10 |
| $J_{\mathrm{AX}^{\prime}} \quad{ }^{4} \mathrm{JPPCCH}$ | +0.4 | +0.25 | $-0.25<$ |
| $J_{\text {AA }}{ }^{\text {a }}{ }^{1} J_{\text {PP }}$ | (-)293 上 1 | (-)97-t 1 | $J_{\mathrm{Ax}^{\prime}}<0.25$ $(-) 120+1$ |
| $\delta_{\text {A }} \equiv \delta_{\text {P }}$ | $\begin{aligned} & -30.67 \\ & -3173 \end{aligned}$ | 54.00 | 59.392 |
| $\delta_{\mathbf{H}}\left(\mathrm{R}_{\mathbf{t}}\right) \cdots \delta_{\mathbf{H}}\left(\mathrm{PCH}_{3}\right)$ | ) $0.915^{\circ}$ | 1.684 | 1.662 |
| $\delta_{11}\left(\mathrm{X}_{n}\right)-\delta_{H}\left(\mathrm{CCH}_{3}\right)$ | ) 1.114 | 1.235 | 1.317 |
| Solvent | Dioxane ${ }^{b}$ or $\mathrm{C}_{6} \mathrm{D}_{6}{ }^{\text {c }}$ | $\mathrm{C}_{6} \mathrm{D}_{5} \mathrm{CD}_{3}$ | $\mathrm{C}_{6} \mathrm{D}_{6}$ |
| Concentration (\%) | 25 | 25 | 25 |

${ }^{a}$ The coupling constants are given in Hz and the chemical shifts in p.p.m. ${ }^{31} P$ spectra for dioxane solution. ${ }^{6}{ }^{1} \mathrm{H}$ spectra for $\mathrm{C}_{6} \mathrm{D}_{6}$ solution.

Data for such compounds were obtained from an equilibrated mixture following the general equation (xv). Details of this redistribution reaction will be given elsewhere. ${ }^{1}$ Nine individual proton resonance bands for $\mathrm{CH}_{3}$ and $\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}$ groups in each of the compounds (1b), (5a), (5b), (6a), and (6b) were assigned


Figure 3. ${ }^{31} \mathrm{P}$ N.m.r. spectrum of $\mathrm{rac}-\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}\right]_{2}(\mathrm{lb})$ as in Figure 1. Calibration bar 25 Hz

Table 4. [AR: $\left.X_{n}\right]_{2}$ N.m.r. parameters (in Hz ) for $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}\right.$ (S) $]_{2} \mathrm{Y}$

| Compound | $(3 \mathrm{a})$ | $(4 \mathrm{~b})$ |
| :--- | :--- | :--- |
| Y | O | S |
| Form | meso | rac |
| $N_{\text {AR }}$ | 11.70 | $11.9 \pm 0.1$ |
| $L_{\text {AR }}$ | 12.20 | $14.0 \pm 0.25$ |
| $N_{\mathrm{Ax}}$ | 18.40 | $18.9 \pm 0.1$ |
| $L_{\mathrm{Ax}}$ | 18.40 | $18.9 \pm 0.25$ |
| $J_{\mathrm{AA}}$ | 56 | $17.0 \pm 0.5$ |
| h.w. $(\mathrm{A})$ | 1.7 | - |
| h.w. $\left(N_{\mathrm{AR}}\right)$ | 0.5 | 0.5 |
| h.w. $\left(\chi_{\mathrm{R}}\right)$ | 0.75 | 1.0 |
| h.w. $\left(N_{\mathrm{Ax}}\right)$ | 0.5 | 0.8 |
| h.w. $\left(\chi_{\mathrm{x}}\right)$ | 0.8 | 1.5 |

specifically using lineshape simulations for $90-360$-, and $500-\mathrm{MHz}^{1} \mathrm{H}$ n.m.r. spectra.

$$
\begin{array}{r}
{\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{4}\right) \mathrm{P}\right]_{2}+\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{~S})\right]_{2} \rightleftharpoons} \\
(\mathrm{lb}) \\
(2 \mathrm{~b})
\end{array}
$$

## Discussion

Crystal-structure determinations by $X$-ray techniques for diphosphanes are sparse, ${ }^{15.16}$ and, in any case, not necessarily

Table 5. Proton and ${ }^{34} \mathrm{P}$ n.m.r. data ${ }^{*}$ for $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{S})\right]_{2} \mathrm{Y}$

| Compound Y | $0^{(3 a)}$ | $0^{(3 b)}$ | $S^{(4 a)}$ | $s^{(4 b)}$ |
| :---: | :---: | :---: | :---: | :---: |
| Form | meso | rac | meso | rac |
| $J_{\text {AR }} \equiv{ }^{2} J_{\text {PCH }}$ | -11.95 | - | - | +13.0 |
| $J_{\text {AR }}{ }^{\text {d }}$ 三 ${ }^{4} J_{\text {PYPCH }}$ | +0.25 | - | - | +1.0 |
| $J_{\text {AX }} \equiv{ }^{3} J_{\text {PCCH }}$ | +18.4 | - | - - | +18.9 |
|  | 0 | - | - | 0 |
| $J_{\text {A }}{ }^{\prime} \equiv{ }^{2} J_{\text {PYP }}$ | $(-) 56 \pm 1$ | - | - | $(-) 17 \pm 1$ |
| $\delta^{\prime}{ }^{\prime} \equiv \delta^{\prime}$ | 110.81 | 109.746 | 91.026 | 90.825 |
| $\delta^{\mathbf{H}}\left(\mathrm{R}_{\boldsymbol{t}}\right) \equiv \delta_{\mathrm{H}}\left(\mathrm{PCH}_{3}\right)$ | 1.76 | - | 1.900 | 2.217 |
| $\delta_{\mathrm{H}}\left(\mathrm{X}_{\mathrm{n}}\right) \equiv \delta_{\mathrm{H}}\left(\mathrm{CCH}_{3}\right)$ | 1.19 | - | 1.136 | 1.049 |
| Solvent | $\mathrm{C}_{6} \mathrm{D}_{6}$ | $\mathrm{C}_{6} \mathrm{D}_{5} \mathrm{CD}$ | $\mathrm{C}_{6} \mathrm{D}_{5} \mathrm{CD}_{3}$ | $\mathrm{C}_{6} \mathrm{D}_{5} \mathrm{CD}_{3}$ |
| Concentration (\%) | 25 | 3 | 5 | 5 |

relevant to the solution state. They suggest that a conformation approaching the semi-eclipsed is favoured in some cases, but an anti conformation in others. The stability of conformations near the semi-eclipsed is supported by empirical force-field calculations, ${ }^{17}$ although applications of $a b$ initio SCF-MO theory to $\mathrm{P}_{2} \mathrm{H}_{4}$ itself show ${ }^{18}$ a relatively flat potential minimum extending from the gauche to the trans conformation, with the former only slightly favoured (optimum dihedral angle $76^{\circ}$ ).

Crystal-structure work by Lee and Goodacre ${ }^{19,20}$ has established that the trans conformation is favoured for two cyclic diphosphane disulphides and the parent $\left[\left(\mathrm{CH}_{3}\right)_{2} \mathrm{P}(\mathrm{S})\right]_{2}{ }^{21}$


Figure 4. Experimental (upper) and simulated (lower) ${ }^{1} \mathrm{H}$ n.m.r. spectrum of meso- $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{S})\right]_{2} \mathrm{O}$ (3a). Calibration bar 20 Hz . Left, $\mathrm{CH}_{3}$ group; right, $\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}$ group


Scheme 5.
Wunderlich and Wussow ${ }^{2}$ deduced unequivocally the existence of the all-trans conformation for our model system, meso-diphosphane disulphide (2a). The same authors presented ${ }^{2}$ the first example known of a gauchoid diphosphane disulphide, compound (2b). The molecular structures of (2a) and (2b) in the solid state are shown in Figures 7 and 8. $\mathrm{P}-\mathrm{O}^{-} \mathrm{P}$ and $\mathrm{P}-\mathrm{S}-\mathrm{P}$ bridged structures for meso (3a) and rac (4b) were determined by Mootz and co-workers. ${ }^{3}$ Results for corresponding $X$-ray studies may be seen in Figures 9 and 10 ; for details
see Parts 2 and 3 of this series. ${ }^{2,3}$ As far as we know, there are no reported $X$-ray crystallographic studies of compounds of the types (5) and (6).

Some n.m.r. data have been presented previously 4,6,7,10,22 for compounds (1) and (2), and, where relevant, our results are in reasonable agreement with the earlier work. McFarlane and McFarlane ${ }^{7}$ established that the sign of ${ }^{1} J_{\mathrm{Pp}}$ is negative for both these compounds. The variation of ${ }^{1} J_{\mathrm{pp}}$ for diphosphanes with dihedral angle has been the subject of a number of theoretical investigations, ${ }^{22-27}$ and it seems to be generally agreed that the most negative value of ${ }^{1} J_{\mathrm{Pp}}$ would be given by the conformation with eclipsed lone pairs. However, it is very likely that other factors, such as substituent bulk, are also of great importance in governing the value of ${ }^{1} J_{\mathrm{pp}}$. Moreover, Tutunjian and Waugh ${ }^{28}$ have shown that the anisotropy in $J_{\mathrm{PP}}$ is much larger than the isotropic average for $\left[\left(\mathrm{C}_{2} \mathrm{H}_{5}\right)_{2} \mathrm{P}\right.$ $(\mathrm{S})]_{2}$, thus rendering problematic discussion of solution-state results from $J_{\text {Pp }}$.


Figure 5. Proton n.m.r. spectrum of meso- $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{S})\right]_{2}(2 \mathrm{a})$ as in Figure 4. Calibration bar 10 Hz

Table 6. N.m.r. data ${ }^{a}$ for $\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{S})-\mathrm{P}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{CH}_{3}$ and $\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{S})-\mathrm{S}-\mathrm{P}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{4}\right) \mathrm{CH}_{3}$

| Compound | (5a) | (5b) |  | (6a) | (6b) |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Form | meso | rac |  | meso | rac |
| $J_{\text {AR }}={ }^{2} J_{\text {PCH }}$ | - 11.20 | - 11.28 | ${ }^{2} J_{\mathrm{PCH}}$ | - 11.54 | -11.54 |
| $J_{\text {AS }}{ }^{3}{ }^{3} \mathrm{PPCO}$ | $+2.57$ | 0 | ${ }^{4}{ }^{\text {PSPCH }}$ | 0 | 0.86 |
| $J_{\text {AY }}={ }^{3} J_{\text {PCCH }}$ | +12.44 | 13.04 | ${ }^{3}{ }^{3} \mathrm{PCCH}$ | +16.93 | +18.21 |
| $J_{\text {AX }}={ }^{4} J_{\text {PPCCH }}$ | 0.81 | 0.81 | ${ }^{5} J_{\text {PSPCCH }}$ | +6.67 | + 7.69 |
| $J_{\mathrm{BS}}={ }^{2} J_{\mathrm{PCH}}$ | -15.05 | $-17.78$ | ${ }^{2} / \mathrm{PCH}$ | $-18.29$ | $-14.96$ |
| $J_{\text {RR }} \quad{ }^{3} J_{\text {PPCH }}$ | 6.24 | 0 | ${ }^{4}{ }^{\text {PSPCII }}$ | 0 | 0 |
| $J_{\text {BX }}={ }^{3}{ }^{\text {PCCH }}$ | +16.16 | 16.25 | ${ }^{3}{ }^{\text {JPCCH }}$ | + 12.65 | $+12.74$ |
| $J_{B Y} \quad{ }^{4} J_{\text {PPCCH }}$ | 0 | 0 | ${ }^{5} J_{\text {PSPCCH }}$ | 0 | 0 |
| $J_{A B} \quad{ }^{1} J_{\text {PP }}$ | (-)294.2 | 312.5 | ${ }^{2} J_{\text {PSP }}$ | 54.8 | 51.3 |
| $\delta_{\text {A }} \quad \delta_{\mathbf{P}}\left(\mathrm{P}^{\mathrm{V}}\right)$ | 59.99 | 54.55 | $\delta_{p}\left(\mathrm{P}^{\mathrm{V}}\right)$ | 87.83 | 85.80 |
| $\delta\left(\mathrm{R}_{\mathrm{t}}\right) \quad \delta_{\mathrm{H}}\left(\mathrm{PCH}_{3}\right)$ | 1.5658 | 1.3679 | $\delta_{\mathrm{H}}\left(\mathrm{PCH}_{3}\right)$ | 1.7896 | 1.7154 |
| $\delta\left(\mathrm{X}_{n}\right)=\delta_{\mathrm{H}}\left(\mathrm{CCH}_{3}\right)$ | 1.0520 | 1.3173 | $\delta_{\text {H }}\left(\mathrm{CCH}_{3}\right)$ | 1.2588 | 1.1846 |
| $\delta_{\mathbf{B}}=\delta_{\mathbf{P}}\left(\mathrm{P}^{111}\right)$ | -28.73 | $-28.80$ | $\delta_{p}\left(\mathrm{P}^{\prime \prime \prime}\right)$ | 40.76 | 41.02 |
| $\delta\left(\mathrm{S}_{\mathrm{t}}\right) \equiv \delta_{\mathrm{H}}\left(\mathrm{PCH}_{3}\right)$ | 0.9338 | 0.8986 | $\delta_{11}\left(\mathrm{PCH}_{3}\right)$ | 1.1769 | 1.0678 |
| $\delta\left(\mathrm{Y}_{n}\right)=\delta_{\mathrm{H}}\left(\mathrm{CCH}_{3}\right)$ | 1.0776 | 1.1424 | $\delta_{11}\left(\mathrm{CCH}_{3}\right)$ | 1.044 | 1.0165 |
| Solvent | $\mathrm{C}_{6} \mathrm{D}_{6}$ | $\mathrm{C}_{6} \mathrm{D}_{6}$ |  | $\mathrm{C}_{6} \mathrm{D}_{6}$ | $\mathrm{C}_{6} \mathrm{D}_{0}$ |
| Concentration ${ }^{6}$ (\%) | 7 | 4 |  | 3 | 1.5 |

${ }^{a}$ The coupling constants are given in Hz and the chemical shifts in p.p.m. For the designations A, B, R, S, X, and Y see Scheme 5. ${ }^{b}$ Mixture of products, see text.

The data presented here confirm that inclusion of bulky $t$ butyl substituents substantially increases the magnitude of $J_{\mathbf{P P}}$ in both series (1) and (2). Moreover, $\left|J_{\mathbf{P P}}\right|$ appears to be larger for the rac form than for the meso form in compounds (2a), (2b) and (5a), (5b), although the situation is not clear for
series (1). ${ }^{10,29-32}$ Differences in $J_{\mathrm{PP}}$ between rac and meso forms are presumably related to changes in rotamer populations and/ or in the dihedral angles for the most stable rotamers. This should be true for series (2) and (5) as well as (1). Since the alkyl substituents in the compounds studied here are markedly


Figure 6. Proton n.m.r. spectrum of $r a c-\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}\right]_{2}(1 \mathrm{~b})$ as in Figure 4. Calibration bar 10 Hz
different in bulk $\left(\mathrm{CH}_{3}\right.$ and $\left.\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right)$, variations in n.m.r. parameters between the two diastereoisomers might be expected to be substantial. This scarcely seems to be the case for $J_{\mathrm{Pp}}$ in (5a), (5b), and although our value for the difference in $J_{\mathrm{Pp}}$ between (2a) and (2b) is large in terms of percentage, this is not true for the results reported by McFarlane and McFarlane. ${ }^{7}$

The inclusion of sulphur as a substituent presumably imparts additional rigidity to molecular structures. ${ }^{7}$ This is perhaps reflected in the fact that $J_{\text {PP }}$ values for compounds (1) and (5) are similar, whereas those for (2) are much smaller, which is true for the tetramethyl compounds as well as for those studied here.

The two-bond ( $\mathrm{P}, \mathrm{P}$ ) coupling constants found for compounds (3a), (4b) and (6a), (6b) are smaller than the values of ${ }^{1} J_{\text {Pp }}$ discussed above, and this is in line with results for related compounds. ${ }^{33}$ Few conclusive comments can be made on the $(\mathrm{P}, \mathrm{H})$ coupling constants, especially as there is an inherent ambiguity between the long- and short-range data. In general, the changes induced in these parameters by the replacement of $\mathrm{CH}_{3}$ by $\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}$ are not large except in the case of $\left[\left(\mathrm{CH}_{3}\right)_{2} \mathrm{P}\right]_{2}$


Figure 7. Molecular structure of meso- $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{S})\right]_{2}(2 \mathrm{a})$
and $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}\right]_{2}$. The phosphorus chemical shifts follow the patterns established for the corresponding tetramethyl compounds, although there is a pronounced deshielding effect of replacing $\mathrm{CH}_{3}$ by $\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}$. Such deshielding has been dis-

Table 7. Hypothetical $N$-type and $L$-type values (in Hz ) for $\mathrm{CH}_{3}(\mathrm{t}$ $\left.\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{S})-\mathrm{Y}-\mathrm{P}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{CH}_{3}{ }^{*}$

| Compound | (5a) | (5b) | (6a) | (6b) |
| :---: | :---: | :---: | :---: | :---: |
| Y | - | - | S | S |
| Form | meso | rac | meso | rac |
| $N_{\text {ARS }}=J_{\text {AR }}+J_{A S}$ | 8.63 | 11.28 | 11.54 | 10.68 |
| $L_{\text {ARS }}=J_{\text {AR }}-J_{\text {AS }}$ | 13.77 | 11.28 | 11.54 | 12.40 |
| $N_{\text {AXY }}=J_{\text {AX }}+J_{\text {AY }}$ | 13.25 | 13.85 | 23.60 | 25.90 |
| $L_{\text {AXY }}=J_{\text {AX }}-J_{\text {AY }}$ | 11.63 | 12.23 | 10.26 | 10.52 |
| $N_{\text {BSR }}=J_{\text {BS }}+J_{\text {BR }}$ | 8.79 | 17.78 | 18.29 | 14.96 |
| $L_{\text {BSR }}=J_{\mathrm{BS}}-J_{\mathrm{BR}}$ | 21.29 | 17.78 | 18.29 | 14.96 |
| $N_{\mathrm{BYX}}=J_{\mathrm{BY}}+J_{\mathrm{BX}}$ | 16.16 | 16.25 | 12.25 | 12.74 |
| $L_{\text {BYX }}=J_{\mathbf{B Y}}-J_{\mathbf{B X}}$ | 16.16 | 16.25 | 12.25 | 12.74 |
| $J_{\text {AB }}$ | (-)294.2 | (-) 312.5 | 54.8 | 51.3 |

- For the spin-system notation, see Scheme 5. Absolute values of the coupling parameters are given.


Figure 8. Molecular structure of $r a c-\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{S})\right]_{2}(2 b)$
cussed ${ }^{10,29,34}$ for compounds related to (1) in terms of $\beta$ - and $\gamma$-substituent effects.

## Experimental

For synthetic routes to compounds (1)-(6) see refs. 1, 3, and 7 . The samples were dissolved in the relevant solvent, $\mathrm{SiMe}_{4}$ added, and the solutions filtered into $5-\mathrm{mm}$ and $10-\mathrm{mm}$ n.m.r. tubes as appropriate. The tubes were then sealed after application of the conventional freeze-pump-thaw technique. $90-\mathrm{MHz}$ Proton n.m.r. spectra were obtained using a Bruker HX90R spectrometer at Düsseldorf. For the continuous-wave mode the following conditions were applied: chart scale 1 Hz $\mathrm{cm}^{-1}$, scan speed $0.06 \mathrm{~Hz} \mathrm{~s}^{-1}$, with an accuracy in frequency measurement of $\pm 0.1 \mathrm{~Hz}$. Phosphorus- 31 n.m.r. spectra were run in the Fourier-transform mode at 36.43 MHz . Data for compounds (5) and (6) were extracted from $360-\mathrm{MHz}$ and $500-\mathrm{MHz}{ }^{1} \mathrm{H}$ n.m.r. spectra obtained from Dr. D. Wendisch, Bayer AG, and Dr. W. Hull, Bruker Analytische Me $\beta$ technik GmbH . Chemical shift data ( $\delta_{\mathrm{H}}$ ) in Tables 3,5, and 6 are referenced to internal SiMe $_{4}$. For ${ }^{31} \mathrm{P}$ shifts the data in these Tables are presented with respect to external $\mathrm{H}_{3} \mathrm{PO}_{4}$ [setting $\delta_{\mathrm{P}}\left(85 \% \mathrm{H}_{3} \mathrm{PO}_{4}\right)=0$ from an independent measurement on $85 \% \mathrm{H}_{3} \mathrm{PO}_{4}$ ]. Lineshape simulations were performed using computer programs DOKI77 and DOKI78, arranged for the Telefunken TR 445 computer at Düsseldorf. Satisfying lineshapes in $\left[\mathrm{AR}_{t} \mathrm{X}_{n}\right]_{2}$ systems resulted when specific linewidths were used for $N$ and $\chi$ lines separately. Different accuracies for data reported in Tables 2-7 resulted from the use of $90-\mathrm{MHz}, 360-\mathrm{MHz}$, and $500-\mathrm{MHz}$ spectrometers, from


Figure 9. Molecular structure of meso- $\left[\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{S})\right]_{2} \mathrm{O}$ (3a)


Figure 10. Molecular structure of rac-[ $\left.\mathrm{CH}_{3}\left(\mathrm{t}-\mathrm{C}_{4} \mathrm{H}_{9}\right) \mathrm{P}(\mathrm{S})\right]_{2} \mathrm{~S}$ (4b)
direct readings of $\delta_{\mathbf{H}}$ and $N$ values respectively, and from lineshape simulations leading to $L$ and $J_{A A^{\prime}}$ data.

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## References

1 Part 1, G. Hägele, G. Tossing, and J. Seega, Z. Naturforsch., in the press.
2 Part 2, H. Wunderlich and H. G. Wussow, Z. Naturforsch., in the press.
3 Part 3, G. Hägele, W. Kückelhaus, D. Mootz, and H. Wunderlich, Phosphorus Sulfur, in the press.
4 G. Hägele, Habilitationsschrift, Universität Düsseldorf, 1972.
5 G. Hägele and R. K. Harris, Ber. Bunsenges. Phys. Chem., 1972, 76, 910.
6 G. Hägele, R. K. Harris, and J. Nichols, J. Chem. Soc., Dalton Trans., 1973, 79.
7 H. C. E. McFarlane and W. McFarlane, J. Chem. Soc., Chem. Commun., 1975, 582.
8 H. C. E. McFarlane and W. McFarlane, Chem. Commun., 1971, 1589.

9 R. K. Harris, E. M. McVicker, and M. Fild, J. Chem. Soc., Chem. Commun., 1975, 886.
10 S. Aime, R. K. Harris, E. M. McVicker, and M. Fild, J. Chem. Soc., Dalton Trans., 1976, 2144.

11 J. B. Lambert, G. F. Jackson, and D. C. Mueller, J. Am. Chem. Soc., 1968, 90, 6401; 1970, 92, 3093.
12 A. A. Bothner-By and C. Naar-Colin, J. Am. Chem. Soc., 1962, 84, 743.
13 R. K. Harris, Can. J. Chem., 1968, 42, 2275.
14 DOKI77, DOKI78 G. Hägele and W. Kückelhaus, 1977-1978.
15 R. Richter, J. Kaiser, J. Sieler, H. Hartung, and C. Peter, Acta Crystallogr., Sect. B, 1977, 33, 1887.
16 S. G. Baxter, A. H. Cowley, R. E. Davis, and P. E. Riley, J. Am. Chem. Soc., 1981, 103, 1699.
17 S. G. Baxter, D. A. Dougherty, J. P. Hummel, J. F. Blount, and K. Mislow, J. Am. Chem. Soc., 1978, 100, 7795.

18 A. H. Cowley, D. J. Mitchel, M. H. Whango, and S. Wolfe, J. Am. Chem. Soc., 1979, 101, 5224.

19 J. D. Lee and G. W. Goodacre, Acta Crystallogr., Sect. B, 1969, 25, 2127.
20 J. D. Lee and G. W. Goodacre, Acta Crystallogr., Sect. B, 1970, 26, 507.
21 J. D. Lee and G. W. Goodacre, Acta Crystallogr., Sect. B, 1970, 27, 303.
22 H. C. E. McFarlane and W. McFarlane, J. Chem. Soc., Dalton Trans., 1980, 240.
23 A. H. Cowley, W. D. White, and M. C. Damaso, J. Am. Chem. Soc., 1974, 91, 1922.

24 R. K. Safiullin, Y. Y. Samitov, and R. M. Minova, Teor. Eksp. Khim., 1974, 10, 828.
25 J. P. Albrand, H. Faucher, G. Gagnaire, and J. B. Robert, Chem. Phys. Lett., 1976, 38, 521.
26 A. A. M. Ali, Ph.D. Thesis, University of East Anglia, 1979.
27 V. Galasso, J. Magn. Reson., 1979, 36, 181.
28 P. N. Tutunjian and J. S. Waugh, J. Chem. Phys., 1982, 76, 1223.
29 A. A. M. Ali and R. K. Harris, J. Chem. Soc., Dalton Trans., 1983, 583.
30 J. P. Albrand and G. Gagnaire, J. Am. Chem. Soc., 1972, 94, 8630.

31 J. P. Albrand and J. B. Robert, J. Chem. Soc., Chem. Commun., 1976, 876.
32 J. P. Albrand and C. Taieb, J. Am. Chem. Soc. Symp. Ser., 1981, 171, 577.
33 G. Hägele, W. Kuchen, and W. Steinberger, Z. Naturforsch., Teil B, 1979, 29, 349.
34 A. A. M. Ali, G. Bocelli, R. K. Harris, and M. Fild, J. Chem. Soc., Dalton Trans., 1980, 638.


[^0]:    * Copies are available from the authors.

